
MAP++ Documentation

Release 1.15

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Note: Example input files are provided to demonstrate MAP++. These fake examples do not represent realistic, practical moorings for permanent installations.

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1.3 Dependencies

Third party dependencies are distributed with the MAP++ archive on BitBucket. Required libraries include the following:

Library	Version Distributed with MAP++
LAPACK	Version 3.5.0
C/C++ Minpack	Version 1.3.3
SimCList	Version 1.6
Better String Library	Version 0.1.1

1.4 Change Log

v1.20.00 – First release.

v1.20.10 – Repaired the linearized stiffness matrix function and improved the input file parsing in python.

2.1 What MAP++ Solves

Mooring models can be classified into two groups: static models and dynamic models. Static models ignore the inertia forces and fluid drag loads, and only account for the mean forces in the mooring system, including elasticity, weight (in fluid), and geometric nonlinearities. Static models are the type concerned in MAP++. Extra steps are taken to reformulate the classic single line, closed-form solution [1] into a piece-wise, multi-segmented system. This piece wise system is composed of a collection of nodes and elements.

Each element in *Fig. 1* is expressed as a single line counterpart in two configurations. One configuration has the line hanging freely, whereas the second orientation account for friction and contact at the bottom boundary.

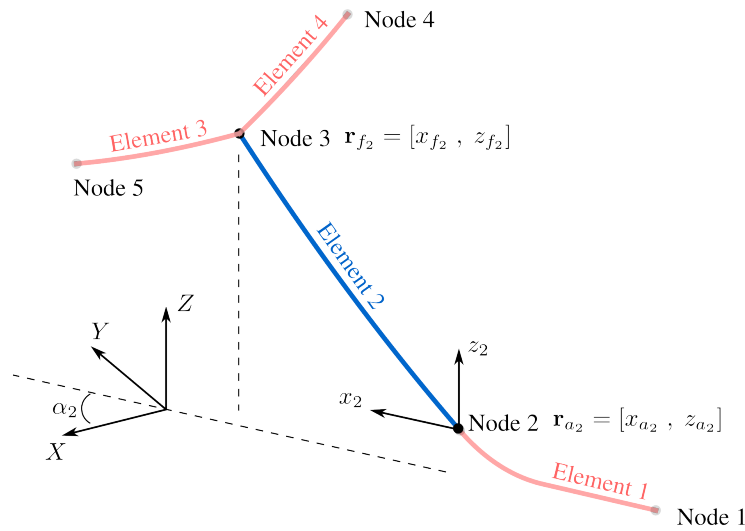


Fig. 2.1: Fig. 1

2.2 Nomenclature

Variable	Definition	Units
A	Cable cross-sectional area	[m ²]
C_B	Seabed contact friction coefficient	–
E	Young's modulus	[N/m ²]
g	Acceleration due to gravity	[m/s ²]
h	Vertical fairlead excursion	[m]
H	Horizontal fairlead force	[N]
H_a	Horizontal anchor force	[N]
l	Horizontal fairlead excursion	[m]
L	Unstretched line length	[m]
L_B	Line length resting on the seabed	[m]
M_i	Point mass applied to the i th node	[kg]
r_i	Node position vector [x_i ; y_i ; z_i]	[m]
R_i	Rotation angle between the x_i and X axis	–
s	Unstretched distance from the anchor ($0 \leq s \leq L$)	[m]
T_j	Cable tension vector for the j th element	[N]
$Te(s)$	Cable tangential tension at distance s	[N]
V	Vertical fairlead force	[N]
V_a	Vertical anchor force	[N]
w	Cable weight-per-unit length in fluid	[N/m]
x_0	Horizontal force transition point for $H(s) > 0$	[N]
ρ	Fluid density	[kg/m ³]

The solution process begins by evaluating the two continuous analytical catenary equations for each element based on l and h values obtained through node displacement relationships. An element is defined as the component connecting two adjacent nodes together. Once the element fairlead (H, V) and anchor (H_a, V_a) values are known at the element level, the forces are transformed from the local $x_i z_i$ frame into the global XYZ coordinate system. The force contribution at each element's anchor and fairlead is added to the corresponding node it attaches to.

The force-balance equation is evaluated for each node, as follows:

$$\begin{aligned} \{\mathbf{F}\}_X^j &= \sum_{i=1}^{\text{Element } i \text{ at Node } j} [H_i \cos(\alpha_i)] - F_{X_j}^{ext} = 0 \\ \{\mathbf{F}\}_Y^j &= \sum_{i=1}^{\text{Element } i \text{ at Node } j} [H_i \sin(\alpha_i)] - F_{Y_j}^{ext} = 0 \\ \{\mathbf{F}\}_Z^j &= \sum_{i=1}^{\text{Element } i \text{ at Node } j} [V_i] - F_{Z_j}^{ext} + M_j g - \rho g B_j = 0 \end{aligned}$$

Node forces are found based on the connectivity geometry between element and external forces applied at the boundary conditions. This *is initiated by defining a series* of \mathcal{F}_i local frames at the origin in which the individual line elements are expressed in. Frame \mathcal{F}_0 is an arbitrary global axis, but it is usually observed as the vessel reference origin.

Note: Simplistic way to think of MAP++'s dichotomy between nodes and elements: Nodes define the force at connection points. Elements define the mooring geometry.

Clearly, this process requires two distinct sets of equations, one of which must be solved within the other routine, to find the static cable configuration. The first set of equations are the force{balance relationships in three directions for each node; the second set of equations are the catenary functions proportional to the number of elements. Interactions between solves is captured in the *flowchart below to summarize the solve procedure*. This method was first proposed in [4].

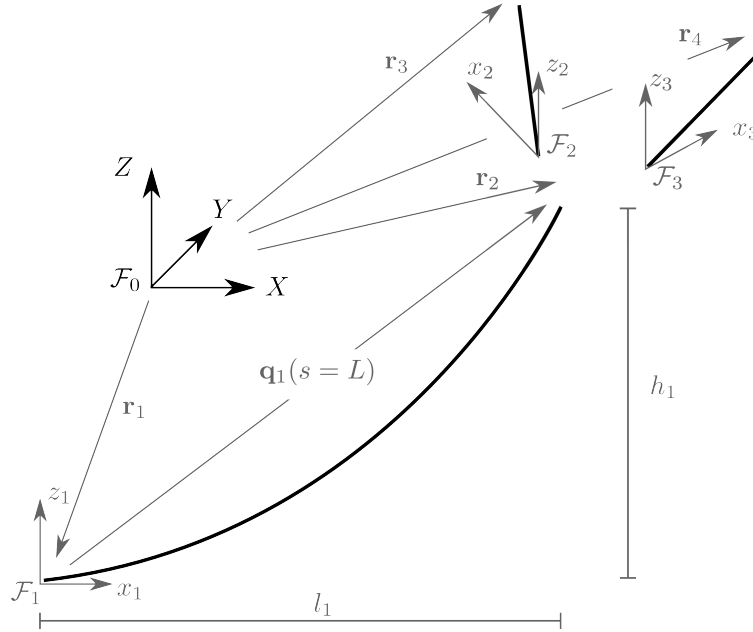


Fig. 3.1: Fig. 2

3.1 Line Theory

3.1.1 Free-Hanging Line

The equations used to describe the shape of a suspended chain illustrated in [Fig. 4](#) have been derived in numerous works [\[1\]](#). For completeness, a summary of the governing equations used inside the MSQS model are presented. Given a set of line properties, the line geometry can be expressed as a function of the forces exerted at the end of the line:

$$x(s) = \frac{H}{\omega} \left\{ \ln \left[\frac{V_a + \omega s}{H} + \sqrt{1 + \left(\frac{V_a + \omega s}{H} \right)^2} \right] - \ln \left[\frac{V_a}{H} + \sqrt{1 + \left(\frac{V_a}{H} \right)^2} \right] \right\} + \frac{Hs}{EA}$$

$$z(s) = \frac{H}{\omega} \left[\sqrt{1 + \left(\frac{V_a + \omega s}{H} \right)^2} - \sqrt{1 + \left(\frac{V_a}{H} \right)^2} \right] + \frac{1}{EA} \left(V_a s + \frac{\omega s^2}{2} \right)$$

where:

$$\omega = gA(\rho_{\text{cable}} - \rho)$$

and x and z are coordinate axes in the local (element) frame, [Fig. 2](#). The following substitution can be made for V_a in the above equations:

$$H_a = H$$

$$V_a = V - \omega L$$

which simply states the decrease in the vertical anchor force component is proportional to the mass of the suspended line. The equations for $x(s)$ and $z(s)$ both describe the catenary profile provided all entries on the right side of the equations are known. However, in practice, the force terms H and V are sought, and the known entity is the fairlead

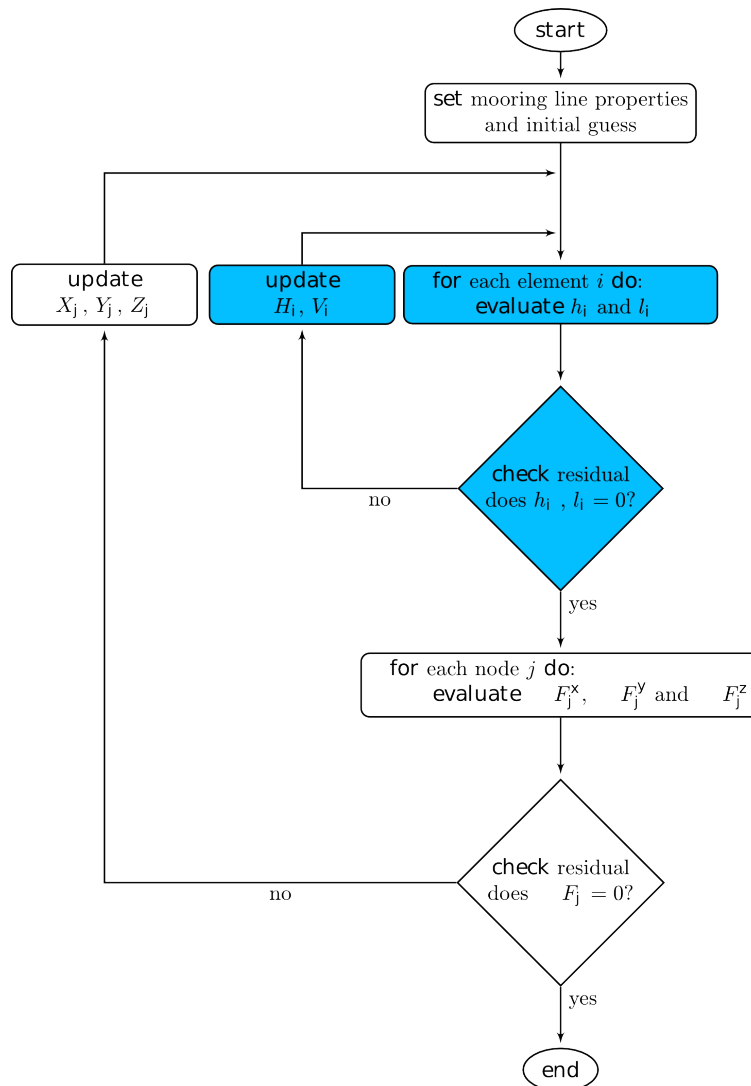


Fig. 3.2: Fig. 3

excursion dimensions, l and h . In this case, the forces H and V are found by simultaneously solving the following two equations:

$$l = \frac{H}{\omega} \left[\ln \left(\frac{V}{H} + \sqrt{1 + \left(\frac{V}{H} \right)^2} \right) - \ln \left(\frac{V - \omega L}{H} + \sqrt{1 + \left(\frac{V - \omega L}{H} \right)^2} \right) \right] + \frac{HL}{EA}$$

$$h = \frac{H}{\omega} \left[\sqrt{1 + \left(\frac{V}{H} \right)^2} - \sqrt{1 + \left(\frac{V - \omega L}{H} \right)^2} \right] + \frac{1}{EA} \left(VL - \frac{\omega L^2}{2} \right)$$

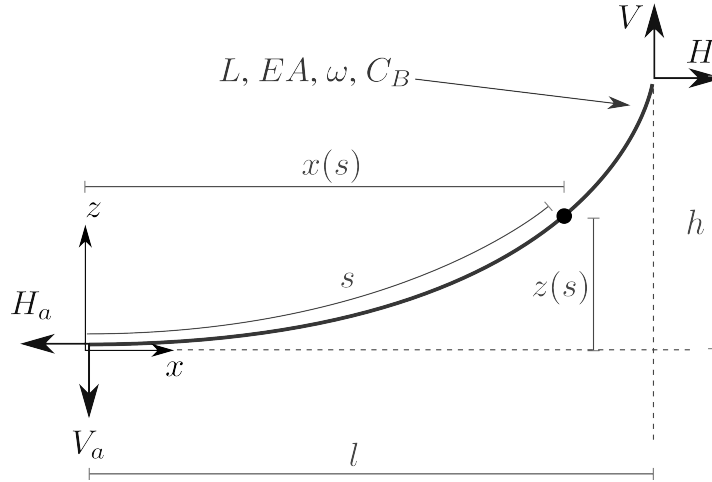


Fig. 3.3: Fig. 4

3.1.2 Line Touching the Bottom

The solution for the line in contact with a bottom boundary is found by continuing $x(s)$ and $z(s)$ beyond the seabed touch-down point $s = L_B$. Integration constants are added to ensure continuity of boundary conditions between equations:

$$x(s) = \begin{cases} s & \text{if } 0 \leq s \leq x_0 \\ s + \frac{C_B \omega}{2EA} [s^2 - 2x_0 s + x_0 \lambda] & \text{if } x_0 < s \leq L_B \\ L_B + \frac{H}{\omega} \ln \left[\frac{\omega(s-L_B)}{H} + \sqrt{1 + \left(\frac{\omega(s-L_B)}{H} \right)^2} \right] + \frac{Hs}{EA} + \frac{C_B \omega}{2EA} [x_0 \lambda - L_B^2] & \text{if } L_B < s \leq L \end{cases}$$

where λ is:

$$\lambda = \begin{cases} L_B - \frac{H}{C_B \omega} & \text{if } x_0 > 0 \\ 0 & \text{otherwise} \end{cases}$$

Between the range $0 \leq s \leq L_B$, the vertical height is zero since the line is resting on the seabed and forces can only occur parallel to the horizontal plane. This produces:

$$z(s) = \begin{cases} 0 & \text{if } 0 \leq s \leq L_B \\ \frac{H}{\omega} \left[\sqrt{1 + \left(\frac{\omega(s-L_B)}{H} \right)^2} - 1 \right] + \frac{\omega(s-L_B)^2}{2EA} & \text{if } L_B < s \leq L \end{cases}$$

The equations above produce the mooring line profile as a function of s . Ideally, a closed-form solution for l and h is sought to permit simultaneous solves for H and V , analogous to the freely-hanging chase in the previous section. This is obtained by substituting $s = L$ to give:

$$l = L_B + \left(\frac{H}{\omega}\right) \ln \left[\frac{V}{H} + \sqrt{1 + \left(\frac{V}{H}\right)^2} \right] + \frac{HL}{EA} + \frac{C_B \omega}{2EA} [x_0 \lambda - L_B^2]$$

$$h = \frac{H}{\omega} \left[\sqrt{1 + \left(\frac{V}{H}\right)^2} - 1 \right] + \frac{V^2}{2EA\omega}$$

Finally, a useful quantity that is often evaluated is the tension as a function of s along the line. This is given using:

$$T_e(s) = \begin{cases} \text{MAX}[H + C_B \omega (s - L_B), 0] & \text{if } 0 \leq s \leq L_B \\ \sqrt{H^2 + [\omega (s - L_B)]^2} & \text{if } L_B < s \leq L \end{cases}$$

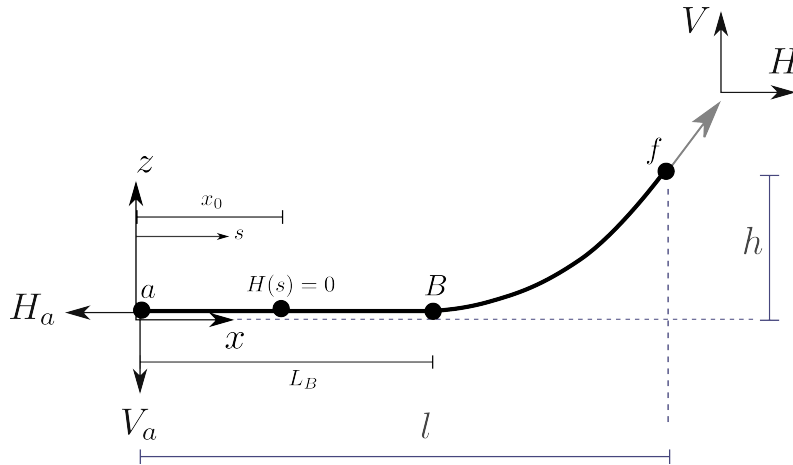


Fig. 3.4: Fig. 5

3.2 Vessel

3.2.1 Reference Origin

$$\mathbf{R} = \begin{bmatrix} \cos \psi \cos \theta & \cos \psi \sin \theta \sin \phi - \sin \psi \cos \phi & \cos \psi \sin \theta \cos \phi + \sin \psi \sin \phi \\ \sin \psi \cos \theta & \sin \phi \sin \theta \sin \phi + \cos \psi \cos \phi & \sin \psi \sin \theta \cos \phi - \cos \psi \sin \phi \\ -\sin \theta & \cos \theta \sin \phi & \cos \theta \cos \phi \end{bmatrix}$$

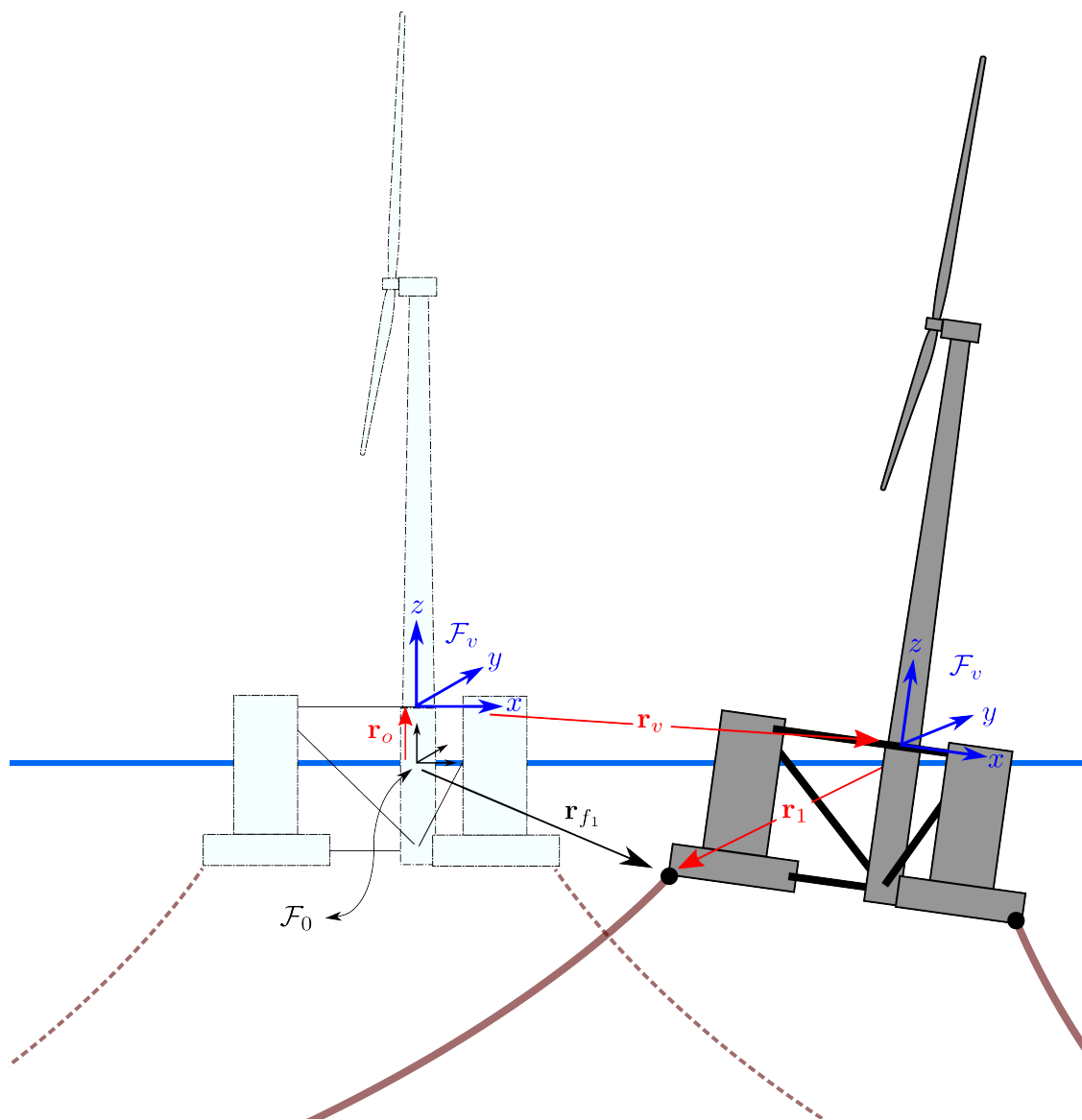


Fig. 3.5: Fig. 6

CHAPTER 4

Input File

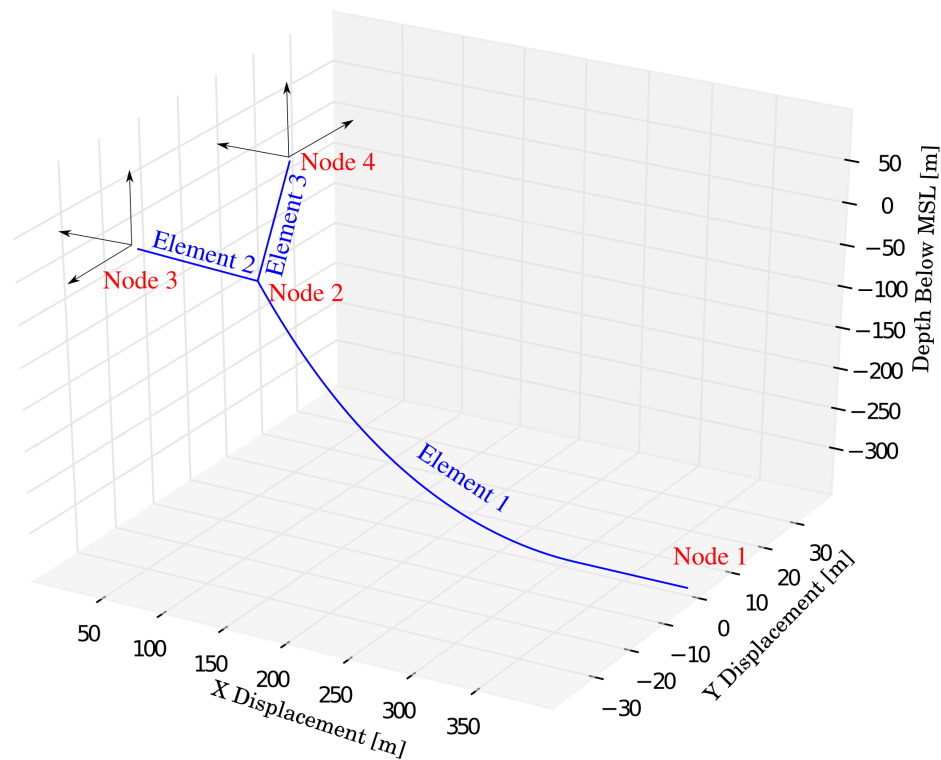
The MAP++ input file define the mooring properties, material definitions, connections between lines, and identify lines anchored or attached to a vessel. We use the extension `<*.map>` to identify the MAP++ input file. The sample MAP++ input deck and relevant commands are defined on this page.

4.1 Baseline Example

The baseline example below is a template on how properties are defined in MAP++:

```
----- LINE DICTIONARY -----
LineType  Diam      MassDenInAir  EA      CB      CIntDamp  Ca      Cdn      Cdt
(-)        (m)        (kg/m)      (N)      (-)      (Pa-s)    (-)      (-)      (-)
mat_1      0.25      320.0      9800000000  1.0     -999.9 -999.9 -999.9 -999.9
mat_2      0.30      100.0      9800000000  1.0     -999.9 -999.9 -999.9 -999.9
----- NODE PROPERTIES -----
Node Type      X      Y      Z      M      B      FX      FY      FZ
(-)  (-)      (m)      (m)      (m)      (kg)      (m^3)    (N)      (N)      (N)
1    fix      400      0      depth  0      0      #      #      #
2    connect #90      #0      #-80    0      0      0      0      0
3    vessel   20      20     -10    0      0      #      #      #
4    vessel   20     -20     -10    0      0      #      #      #
----- LINE PROPERTIES -----
Line  LineType  UnstrLen  NodeAnch  NodeFair  Flags
(-)    (-)      (m)      (-)      (-)      (-)
1      mat_1    450      1         2      altitude      x_excursion
2      mat_2    90       2         3      tension_fair
3      mat_2    90       2         4
----- SOLVER OPTIONS -----
Option
(-)
outer_tol 1e-5
repeat 120 240
```

The space preceeding `repeat 120 240` indicates that line is a comment and is ignored by MAP++. Executing this input file produced the mooring geoemtry illustrated here:



Note: Environmental properties like water depth, sea density, and gavity constant are set by the calling program. They are purposely absent in the MAP++ input file to prevent force imbalances from coefficient mismatches.

The MAP++ input file is divided into four sections:

- **LINE DICTIONARY:** Defines the material properties of the line.
- **NODE PROPERTIES:** Defines boundary constraints and extensional limits.
- **LINE PROPERTIES:** Associates a line with material properties and connectivity between nodes.
- **SOLVER OPTIONS:** Run-time options to engage different solve strategies.

4.2 Line Dictionary

Variable Definition	
LineType	User-defined name [-]
Diam	Material diameter [m]
MassDenInAir	Mass density in air [kg/m ³]
EA	Element axial stiffness [N/m]
CB	Cable/seabed friction coefficient [-]
CIntDamp	Unused
Ca	Unused
Cdn	Unused
Cdt	Unused

4.3 Node Properties

Variable	Definition
NODE	Node number (sequential)
TYPE	Type of node, which can be one of <code>FIX</code> , <code>CONNECT</code> , or <code>VESSEL</code> . Vessel implied the node motion is prescribed.
X	Global x coordinate if node is <code>FIX</code> or <code>CONNECT</code> [m]. Local x coordinate relative to vessel if node is <code>VESSEL</code> [m]. <code>Connect</code> nodes must be preceeded by a # is indicate this is as an initial guess.
Y	Global y coordinate if node is <code>FIX</code> or <code>CONNECT</code> [m]. Local y coordinate relative to vessel if node is <code>VESSEL</code> [m]. <code>Connect</code> nodes must be preceeded by a # is indicate this is as an initial guess.
Z	Global z coordinate if node is <code>FIX</code> or <code>CONNECT</code> [m]. Local z coordinate relative to vessel if node is <code>VESSEL</code> [m]. <code>Connect</code> nodes must be preceeded by a # is indicate this is as an initial guess.
M	Point mass applied to the node [kg]. The force applied to the node is $M \times g$ applied in the direction of gravity.
B	Displaced volume applied to node [m^3]. The force applied is $B \times \rho \times g$ applied opposite of gravity.
FX	x direction external force applied to <code>CONNECT</code> node [N]. <code>VESSEL</code> and <code>FIX</code> must use # to indicate iterated value. # can be preceeded by user-supplied initial guess to speed convergence.
FY	y direction external force applied to <code>CONNECT</code> node [N]. <code>VESSEL</code> and <code>FIX</code> must use # to indicate iterated value. # can be preceeded by user-supplied initial guess to
4.3. Node Properties	19

4.4 Line Properties

Variable	Definition
Line	Line number (sequential).
LineType	Line type. Must be one type defined in <code>LineType</code> from dictionary.
UnstrLen	Unstretched line length [m].
NodeAnch	Anchor node number
NodeFair	Fairlead node number
Flags	Line flag. Can include any command included in <i>Flags</i>

4.5 Flags

Flags are applied to individual lines as indicated in the ‘LINE PROPERTIES’ section of the input file above. These flags control the output text stream:

Variable	Definition
GX_POS	global X fairlead position [m]
GY_POS	global Y fairlead position [m]
GZ_POS	global Z fairlead position [m]
GX_A_POS	global X position of anchor [m]
GY_A_POS	global Y position of anchor [m]
GZ_A_POS	global Z position of anchor [m]
GX_FORCE	global X fairlead force [N]
GY_FORCE	global Y fairlead force [N]
GZ_FORCE	global Z fairlead force [N]
H_FAIR	horizontal (XY plane) fairlead force [N]
H_ANCH	horizontal (XY plane) anchor force [N]
V_FAIR	vertical (Z axis) fairlead force [N]
V_ANCH	vertical (Z axis) anchor force [N]
TENSION_FAIR	fairlead force magnitude, [N]
TENSION_ANCH	anchor force magnitude, [N]
X_EXCURSION	line horizontal excursion [m]
Z_EXCURSION	line vertical excursion [m]
AZIMUTH	line azimuth angle with respect to the inertial reference frame [deg]
ALTITUDE	angle of declination at the fairlead [deg]
ALTITUDE_ANCH	line liftoff angle at the anchor [deg]

The follow flags enable/disable features for each line they are applied to:

Variable	Definition
LINE_TENSION	line tension force magnitude at fairlead [N]
OMIT_CONTACT	ignore seabed boundary and treat line as freely hanging
LINEAR_SPRING	model the line as a linear spring. Intended for taut lines
LAY_LENGTH	amount of line laying on the seabed [m]
DIAGNOSTIC	run diagnostics on line for each solve iteration
DAMAGE_TIME	time [sec] to disconnect fairlead from node. Not used

4.6 Solver Options

Solver options are applied to the entire model domain.

Variable	Definition
HELP	prints a list of options on the command line when MAP++ initializes
INNER_FTOL	inner loop function tolerance
INNER_GTOL	desired orthogonality between the function evaluations and Jacobian column
INNER_XTOL	inner loop consecutive iterate tolerance
INNER_MAX_ITS	maximum inner loop iterations
OUTER_MAX_ITS	maximum outer loop iterations
OUTER_TOL	outer loop tolerance
OUTER_EPSILON	Not used
INTEGRATION_DT	Not used
KB_DEFAULT	Not used
CB_DEFAULT	Not used
OUTER_CD	central difference Jacobian (outer loop solve only)
OUTER_BD	backward difference Jacobian (outer loop solve only)
OUTER_FD	forward difference Jacobian (outer loop solve only)
LM_MODEL	Not used
PG_COOKED	use the relaxation algorithm developed in [4]
KRYLOV_ACCELERATOR	use the Krylov accelerator algorithm developed in [5]
REPEAT	repeat the element/nodes defined in the input file by mirroring the mooring pattern with a rotation about the Z-axis
REF_POSITION	reference position

Todo: The REF_POSITION options is disabled in MAP++ until this feature can be fully integrated into the program. The reference position is fixed at $\langle 0, 0, 0 \rangle$ until then.

4.6.1 Default Solver Options

Variable	Definition
INNER_FTOL	1.0E-6
INNER_GTOL	1.0E-6
INNER_XTOL	1.0E-6
INNER_MAX_ITS	500
OUTER_MAX_ITS	500
OUTER_TOL	1.0E-6
OUTER_EPSILON	1.0E-3
OUTER_BD	
REF_POSITION	<0.0 , 0.0 , 0.0>

5.1 Static Configuration

This example will be run against the *baseline input file*. The water depth is 350 meters. The space preceeding the repeat 120 240 solver option flag is removed to enable duplication of the mooring geometry twice with 120° and 240° offsets about the *Z* axis.

```
#!/usr/bin/env python
# -*- coding: utf-8 -*-

'''
Copyright (C) 2015
map[dot]plus[dot]plus[dot]help[at]gmail
License: http://www.apache.org/licenses/LICENSE-2.0
'''

from mapsys import *
import matplotlib.pyplot as plt
from mpl_toolkits.mplot3d import Axes3D
import numpy as np
np.set_printoptions(precision=2)
np.set_printoptions(suppress=True)

if __name__ == '__main__':
    mooring_1 = Map()

    mooring_1.map_set_sea_depth(350)          # m
    mooring_1.map_set_gravity(9.81)           # m/s^2
    mooring_1.map_set_sea_density(1025.0)     # kg/m^3

    mooring_1.read_file("../test/baseline_2.map")
    mooring_1.summary_file('summary_file.txt')

    mooring_1.init( )
```

```

epsilon = 1e-3 # finite difference epsilon
K = mooring_1.linear(epsilon)
print "\nLinearized stiffness matrix with 0.0 vessel displacement:\n"
print np.array(K)

surge = 5.0 # 5 meter surge displacements
mooring_1.displace_vessel(surge,0,0,0,0,0)
mooring_1.update_states(0.0,0)

K = mooring_1.linear(epsilon)
print "\nLinearized stiffness matrix with %2.2f surge vessel displacement:\n"
↪%(surge)
print np.array(K)

# We need to call update states after linearization to find the equilibrium
mooring_1.update_states(0.0,0)

line_number = 0
H,V = mooring_1.get_fairlead_force_2d(line_number)
print "Line %d: H = %2.2f [N]   V = %2.2f [N]"%(line_number, H, V)

fx,fy,fz = mooring_1.get_fairlead_force_3d(line_number)
print "Line %d: Fx = %2.2f [N]   Fy = %2.2f [N]   Fz = %2.2f [N]\n"%(line_number, ↪
↪fx, fy, fz)

print "These values come from the output buffer as defined in the 'LINE PROPERTIES
↪' portion of the input file"
print "Labels : ", mooring_1.get_output_labels()[0:6]
print "Units   : ", mooring_1.get_output_units()[0:6]
v = mooring_1.get_output_buffer()[0:6]
print "Values : ", ["{0:0.2f}".format(i) for i in v]

fig = plt.figure()
ax = Axes3D(fig)
num_points = 20
for i in range(0,mooring_1.size_lines()):
    x = mooring_1.plot_x(i, num_points)
    y = mooring_1.plot_y(i, num_points)
    z = mooring_1.plot_z(i, num_points)
    ax.plot(x,y,z,'b-')

ax.set_xlabel('X [m]')
ax.set_ylabel('Y [m]')
ax.set_zlabel('Z [m]')

plt.show()

mooring_1.end( )

```

5.1.1 Output

Two outputs are produced executing the script above. Information explicitly requested is printed to the command line:

```

MAP++ (Mooring Analysis Program++) Ver. 1.20.10 Mar-22-2016
MAP++ environment properties (set externally)...

```

```

Gravity constant      [m/s^2] : 9.81
Sea density           [kg/m^3] : 1025.00
Water depth           [m]      : 350.00
Vessel reference position [m]    : 0.00 , 0.00 , 0.00

```

Linearized stiffness matrix with 0.0 vessel displacement:

```

[[ 1.99e+04 -3.78e-03 5.19e-03 -4.89e-02 -2.00e+05 -1.77e-02]
 [ 1.18e-03 1.99e+04 -1.06e-02 2.00e+05 3.50e-02 -6.17e-01]
 [ 2.49e-03 -1.01e-03 2.27e+04 2.21e-03 2.23e-01 -2.12e-01]
 [ 1.95e-03 2.00e+05 -7.14e-03 2.17e+08 1.10e-02 -5.23e+01]
 [-2.00e+05 3.33e-04 4.85e-01 -4.89e-02 2.17e+08 -2.19e-02]
 [ 8.83e-04 -5.59e-01 1.12e-03 -8.53e+01 -7.90e-02 1.41e+08]]

```

Linearized stiffness matrix with 5.00 surge vessel displacement:

```

[[ 1.96e+04 -2.58e-05 1.17e+03 9.61e-03 -2.15e+05 -1.67e-01]
 [-4.57e-04 2.07e+04 1.41e-03 1.81e+05 -5.24e-02 1.72e+03]
 [ 1.17e+03 -3.32e-04 2.32e+04 -5.38e-03 -1.19e+04 1.12e-03]
 [ 1.05e-03 2.00e+05 1.51e-03 2.17e+08 4.25e-02 -5.21e+01]
 [-2.00e+05 -8.91e-05 4.79e-01 5.43e-03 2.17e+08 6.60e-02]
 [ 2.10e-03 -5.60e-01 5.77e-03 -8.52e+01 1.07e-01 1.41e+08]]

```

Line 0: $H = 597513.33$ [N] $V = 1143438.75$ [N]

Line 0: $F_x = -597513.33$ [N] $F_y = -0.00$ [N] $F_z = 1143438.75$ [N]

These values come from the output buffer as defined in the 'LINE PROPERTIES' portion of the input file

Labels : ['l[1]', 'alpha[1]', 'T[2]', 'l[4]', 'alpha[4]', 'T[5]']

Units : ['[m]', '[rad]', '[N]', '[m]', '[rad]', '[N]']

Values : ['338.18', '1.07', '711942.60', '338.18', '1.07', '711942.39']

A figure is also produced to show the mooring geometry with a 5 meter vessel offset:

Note: The default units for the linearized stiffness matrix are [N/m], [N/rad], [Nm/m], and [Nm/rad]. See [the section on the linearized stiffness matrix](#) in the FAQ for more information.

5.2 Time-Marching for Dynamics Simulation

```

#!/usr/bin/env python
# -*- coding: utf-8 -*-

'''
Copyright (C) 2015
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'''

from mapsys import *
import math
import matplotlib.pyplot as plt
from mpl_toolkits.mplot3d import Axes3D
import matplotlib.ticker as mtick
from matplotlib import rcParams
import numpy as np

```

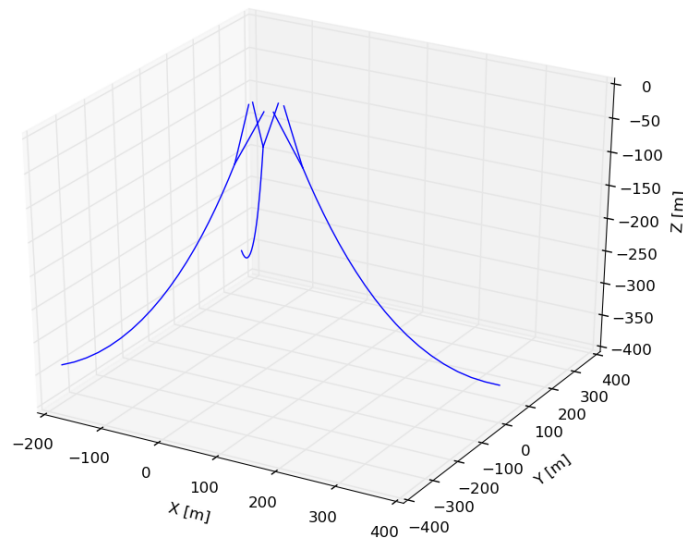


Fig. 5.1: Fig. 7

```

np.set_printoptions(precision=2)
np.set_printoptions(suppress=True)
rcParams.update({'figure.autolayout': True})

# user function to plot the mooring profile and footprint
def plot_mooring_system(mooring_data):
    # plot the mooring profile
    fig = plt.figure(1)
    ax = Axes3D(fig)
    colors = ['b', 'g', 'r', 'c']
    for i in xrange(mooring_data.size_lines()):
        x = mooring_data.plot_x( i, 20 ) # i is the the line number, and 20 is the
        # number of points plotted on the line
        y = mooring_data.plot_y( i, 20)
        z = mooring_data.plot_z( i, 20)
        ax.plot(x,y,z,colors[i]+'-')
    ax.set_xlabel('X [m]')
    ax.set_ylabel('Y [m]')
    ax.set_zlabel('Z [m]')

def start():
    """
    Step 1) First initialize an instance of a mooring system

    Step 2) Assume that (X, Y, Z, phi, theta, psi) are the translation and rotation
    displacement of the vessel.
    These displacements are fed into MAP as an argument to displace the fairlead.
    With the fairlead(s)
    rigidly connected to the vessel, the (X, Y, Z, phi, theta, psi) directly
    manifests into the fairlead
    position in the global frame.

    For the time being, assume a sinusoidal displacement of the vessel

```

```

Step 3) This for-loop emulates the time-stepping procedure. You want to loop_
↳through the length of
    the arrays (X,Y,Z,phi,theta,psi) to retrieve the fairlead force

Step 4) update the MAP state. The arguments in displace_vessel are the displace_
↳displacements and rotations about the reference origin.
    In this case, the reference origin is (0,0,0).
    They can be set to a different position using a run-time argument (this is an_
↳advanced feature).

Step 5) get the fairlead tension. The get_fairlead_force_3d returns the fairlead_
↳force in
    X, Y Z coordinates. This must be called at each time-step, and then stored into_
↳an array. We append
    the empty lists created on lines 84-88.

.. Note::

    MAP does *NOT* return the mooring restoring moment, The user must calculate_
↳this
    themself using the cross-product between the WEC reference origin and the_
↳mooring attached
    point, i.e.,

    :math:\mathbf{Moment} = \mathbf{r} \times \mathbf{F}`
    """

# Step 1
mooring = Map()
mooring.map_set_sea_depth(120)          # m
mooring.map_set_gravity(9.81)           # m/s^2
mooring.map_set_sea_density(1020.0)     # kg/m^2
mooring.read_file('../test/baseline_1.map') # input file
mooring.summary_file('summary_file.sum.txt') # output summary file name at the_
↳conclusion of initialization

mooring.init()                          # solve the cable equilibrium profile
plot_mooring_system(mooring) # Optional: call the user function to illustrate the_
↳mooring equilibrium profile

# initialize list to zero (this is artificial. This would be prescribed the by_
↳vessel program)
X,Y,Z,phi,theta,psi = ([0.0 for i in xrange(500)] for _ in xrange(6))
time = []

# variable to specify the amplitude of surge oscillation and period factor
dt = 0.1
amplitude = 10.0

# prescribe artificial surge and pitch displacement. Again, this should be_
↳supplied based on the WEC motion or from time-marching routine
for i in xrange(len(X)):
    time.append(i*dt)
    X[i] = (amplitude)*(math.sin(i*0.05))
    theta[i] = (amplitude)*(math.sin(i*0.025))

```

```

# create an empty list of the line tension. We will store result from MAP in
↳these lists
line1_fx, line1_fy, line1_fz = ([] for _ in xrange(3))
line2_fx, line2_fy, line2_fz = ([] for _ in xrange(3))
line3_fx, line3_fy, line3_fz = ([] for _ in xrange(3))
line4_fx, line4_fy, line4_fz = ([] for _ in xrange(3))

# Step 3) Time marching
for i in xrange(len(X)):
    # Step 4)

    # displace the vessel, X,Y,Z are in units of m, and phi, theta, psi are in
↳units of degrees
    mooring.displace_vessel(X[i], Y[i], Z[i], phi[i], theta[i], psi[i])

    # first argument is the current time. Second argument is the coupling
↳interval (used in FAST)
    mooring.update_states(time[i], 0)

    # Step 5)
    # line 1 tensions in X, Y and Z. Note that python is indexed started at zero
    fx, fy, fz = mooring.get_fairlead_force_3d(0) # arugment is the line number
    line1_fx.append(fx)
    line1_fy.append(fy)
    line1_fz.append(fz)

    # line 2 tensions in X, Y and Z.
    fx, fy, fz = mooring.get_fairlead_force_3d(1)
    line2_fx.append(fx)
    line2_fy.append(fy)
    line2_fz.append(fz)

    # line 3 tensions in X, Y and Z.
    fx, fy, fz = mooring.get_fairlead_force_3d(2)
    line3_fx.append(fx)
    line3_fy.append(fy)
    line3_fz.append(fz)

    # line 4 tensions in X, Y and Z.
    fx, fy, fz = mooring.get_fairlead_force_3d(3)
    line4_fx.append(fx)
    line4_fy.append(fy)
    line4_fz.append(fz)

    # Optional: plot the vessel displacement (surge=X and pitch=theta) as a function
↳of time
    plt.figure(2)
    plt.plot(time,X,lw=2,label='Surge displacement')
    plt.plot(time,theta,lw=2,label='Pitch displacement')
    plt.title('Vessel Translation/Rotation')
    plt.ylabel('Amplitude [m,deg]')
    plt.xlabel('Time [sec]')
    plt.legend()

    # Optional: plot line tension time history
    plt.figure(3)
    ax=plt.subplot(3,1,1)
    plt.plot(time,line1_fx,label='Line 1')

```



```

plt.plot(time, line2_fx, label='Line 2')
plt.plot(time, line3_fx, label='Line 3')
plt.plot(time, line4_fx, label='Line 4')
ax.yaxis.set_major_formatter(mtick.FormatStrFormatter('%.2e'))
plt.ylabel('X Fairlead Force [N]')
plt.legend()

ax = plt.subplot(3,1,2)
ax.yaxis.set_major_formatter(mtick.FormatStrFormatter('%.2e'))
plt.plot(time, line1_fy)
plt.plot(time, line2_fy)
plt.plot(time, line3_fy)
plt.plot(time, line4_fy)
plt.ylabel('Y Fairlead Force [N]')

ax = plt.subplot(3,1,3)
ax.yaxis.set_major_formatter(mtick.FormatStrFormatter('%.2e'))
plt.plot(time, line1_fz)
plt.plot(time, line2_fz)
plt.plot(time, line3_fz)
plt.plot(time, line4_fz)
plt.ylabel('Z Fairlead Force [N]')
plt.xlabel('Time [sec]')

plt.show()

if __name__ == '__main__':
    start()

```

5.2.1 Output

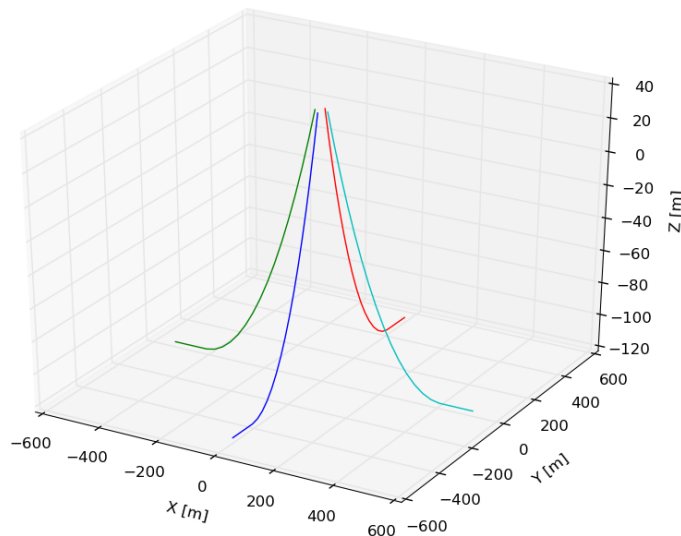


Fig. 5.2: Fig. 8

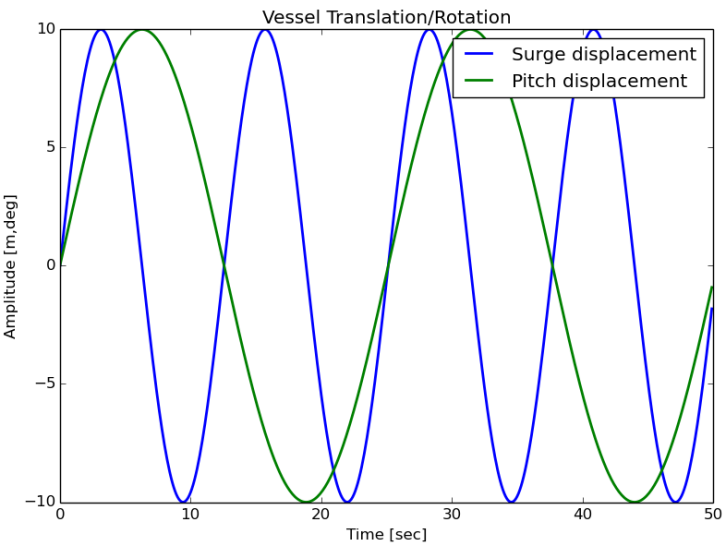


Fig. 5.3: Fig. 9

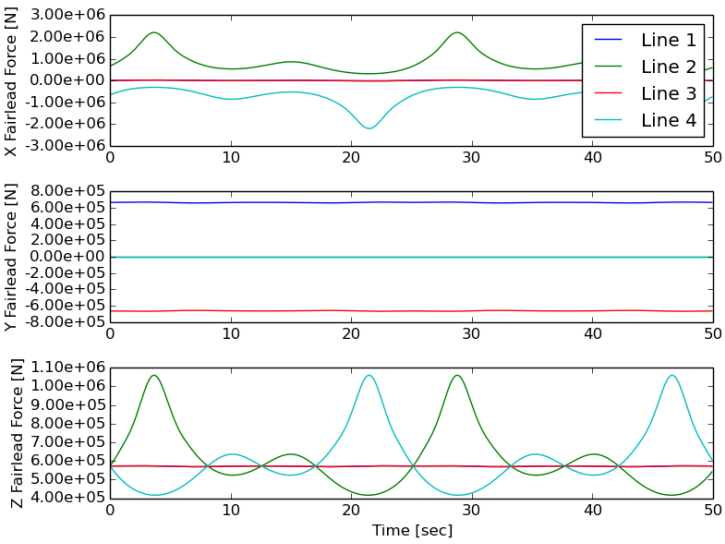


Fig. 5.4: Fig. 10

6.1 Python API

7.1 Using with Python

7.1.1 Python doesn't load MAP

If importing MAP++ into Python leads to this error on Linux/OSx:

```
OSError: ../src/libmap-1.20.00.so: cannot open shared object file: No such file or_
↪directory
```

or on Windows:

```
WindowsError: [Error 126] The specified module could not be found
```

then the issue is the MAP++ shared object/dll can't be located by the MAP++ module. This is corrected by changing the path where the .so/dll is picked up in `mapsys.py`:

```
lib = cdll.LoadLibrary("/directory/to/map/libmap-1.20.00.so")
```

On Windows, it would look something like this:

```
lib = cdll.LoadLibrary("C:\\User\\local\\directory\\map_x64.dll")
```

If the error still persists, the solution could be one of the answers on this post at [Stack Overflow](#).

7.2 Initialization Errors

7.2.1 I get WARNING [5] or FATAL [41] and can't emerge from initialization

The error thrown at initialization is either:

```
MAP_WARNING[5] : Cable density is approaching the density of seawater.
                This may result in the problem becoming poorly conditioned.
```

or

```
MAP_FATAL[41] : Cable mass density is zero. Neutrally buoyant cables cannot
                be solved using quasi-static model
```

We insert a check to warning the user if the cable is nearly neutrally buoyant. This causes the solver to go on the fritz, and sometimes fail, because the algebraic equation is close to dividing by zero; see [the horizontal cable equation](#). The straightforward way to fix this is to change ω tolerance levels in `mapinit.c`. The default tolerance levels are omega $\omega < 1.0$ for a warning, and omega $\omega < 10^{-3}$ for fatal. In some cases, this is unavoidable and a different mooring program is needed.

```
1  if (fabs(library_iter->omega)<=1.0) {
2      set_universal_error_with_message(map_msg, ierr, MAP_WARNING_5,
3                                      "omega = %f <= 1.0", library_iter->omega);
4  };
5  };
6  list_iterator_stop(&domain->library); /* ending the iteration "session" */
7
8  if (fabs(library_iter->omega)<=1.0E-3) {
9      return MAP_FATAL;
10 }
```

Todo: Include a run-time tolerance override option in the input file.

7.2.2 Maximum iterations are exceeded with taut mooring

The mooring system probably has a connect node. I'd start by increasing `OUTER_TOL` by an order of magnitude more than the [default option](#). It doesn't take much displacement error in the inner solve to cause a large difference in the outer loop, so there's this constant game of playing catch-up. Alternatively, you can decrease the inner loop solve tolerance, but you might be already approaching machine precision. Taut lines are strange like that.

A good solver option/initial guess strategy should converge on a solution in under 100-500 total iterations in the first solve.

7.3 Running MAP++

7.3.1 What are the units of the linearized stiffness matrix?

The linearized stiffness matrix is a 6×6 entry comprised of four 3×3 blocks:

$$\mathbf{K}_{6 \times 6} = \begin{bmatrix} \mathbf{A}_{3 \times 3} & \mathbf{B}_{3 \times 3} \\ \mathbf{C}_{3 \times 3} & \mathbf{D}_{3 \times 3} \end{bmatrix}$$

The units are:

- [N/m] for **A**
- [N/rad] for **B**
- [Nm/m] for **C**

- [Nm/rad] for **D**

Note that the reference position is fixed at the *global origin*.

7.3.2 The linearized stiffness values are not consistent

This is likely attributed to round-off errors. We recommend testing linearized stiffness matrix entries for sensitivity against different epsilon values, tolerances, and finite differencing methods. The matrix entries should converge towards a set of values for those different options.

CHAPTER 8

Help

You can forward inquiries to the following:

map[dot]plus[dot]plus[dot]help[at]gmail[dot]com

CHAPTER 9

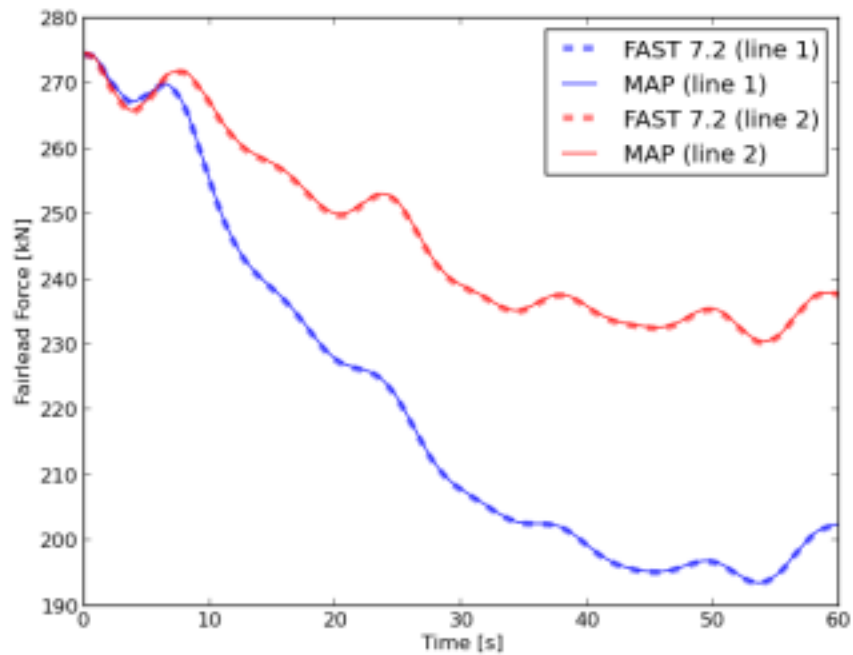
References

The Mooring Analysis Program is a library to model static loads and geometry of cables. MAP++ is designed to hook into other simulation codes through its API and can be customized to do a few things:

- Prototype a design
- Find the force-displacement relation for a given footprint
- Integrate into other dynamic simulation programs to produce a nonlinear restoring force time history

A quick-start guide is available [here](#). We integrated MAP++ into other programs written in Python, C, C++, and Fortran. MAP++ follows the FAST Offshore Wind Turbine Framework [\[2\]](#) pattern.

More information on the theory behind MAP++ is described [\[3\]](#). MAP++ is licensed under Apache version 2.



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